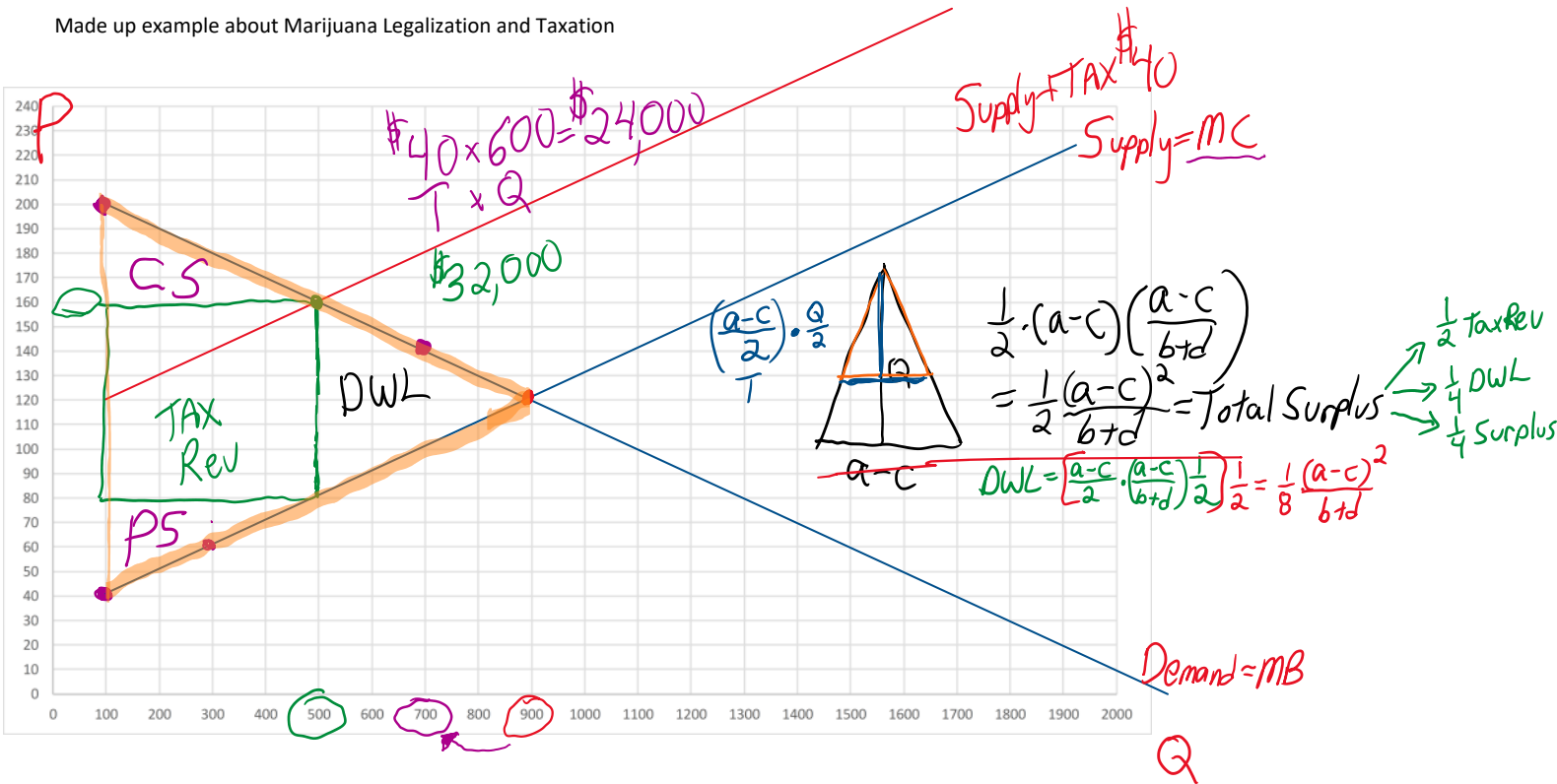


Economics fun with Basic Algebra and Calculus! Maximum Tax Revenue

Made up example about Marijuana Legalization and Taxation

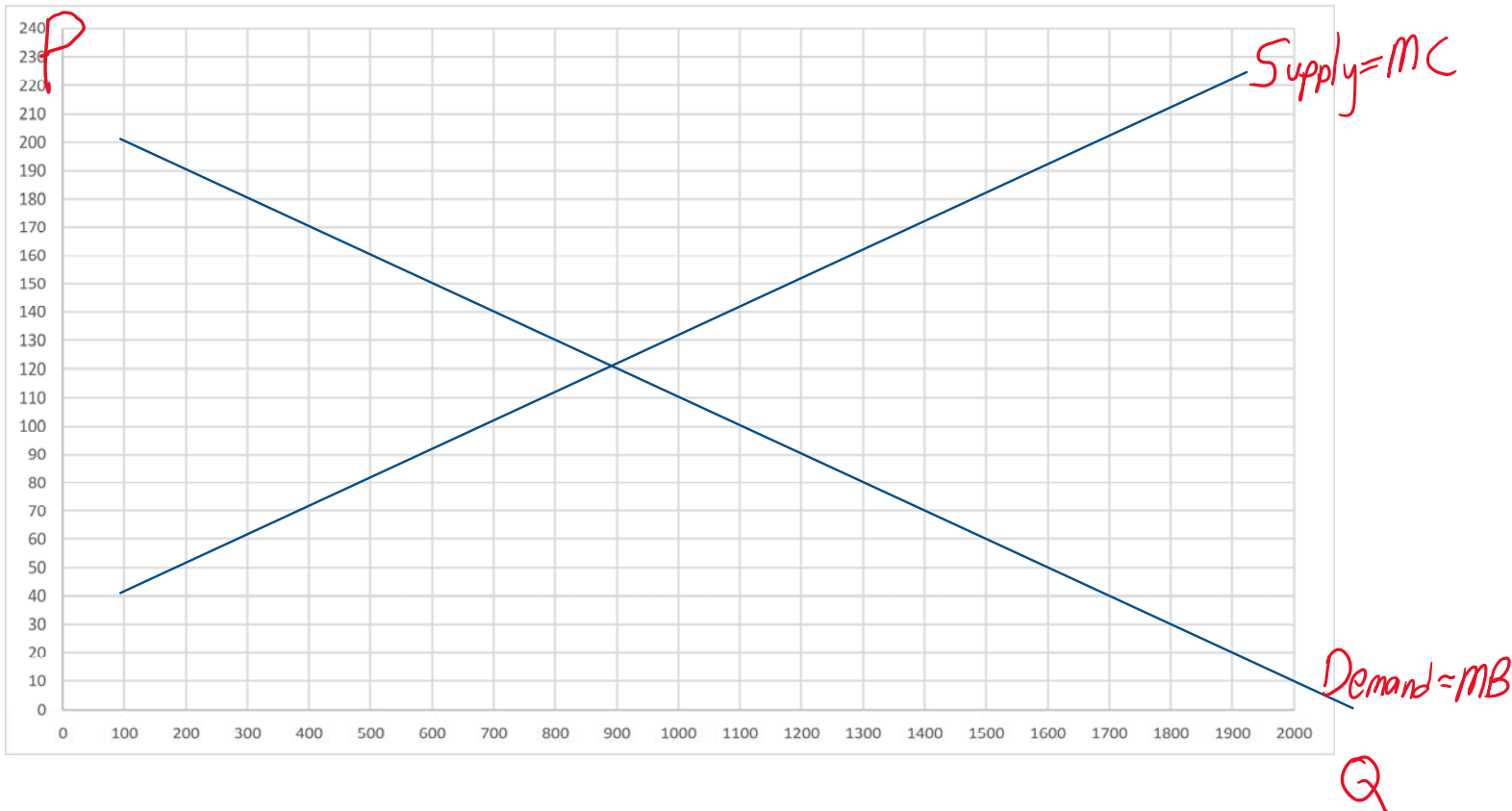


<p>Demand: $P = 200 - 0.1Q$ (Inverse Demand) $Q = 2000 - 10P$</p>	<p>Demand $P = a - bQ$ $Q = a/b - (1/b)P$</p>
<p>Supply: $P = 40 + 0.1Q + T$ $Q = -400 + 10P$</p>	<p>Supply $P = c + dQ + T$ $Q = -(c/d) + (1/d)P$</p>
<p>Equilibrium: $200 - 0.1Q = 40 + 0.1Q + T$ $160 - T = +.2Q$ $800 - 5T = Q$ $TR = T \cdot (800 - 5T)$ $TR = 800T - 5T^2$ $\frac{\partial TR}{\partial T} = 800 - 10T = 0$ $T = 80$</p>	<p>Equilibrium: $a - bQ = c + dQ + T$ $Q = \frac{a-c}{b+d}$ $P = \frac{ad+bc}{b+d}$ $Q = \frac{a-c-T}{b+d}$ $P = \frac{ad+bc}{b+d} + \frac{Tb}{b+d}$</p>

$TR = T \cdot \left[\frac{a-c}{b+d} - \frac{T}{b+d} \right]$
 $\frac{\partial TR}{\partial T} = \frac{a-c}{b+d} - \frac{2T}{b+d} = 0$
 $a-c-2T=0$
 $T^* = \frac{a-c}{2}$
 $Q^* = \frac{\left[\frac{a-c}{2} \right]}{b+d} = \left[\frac{a-c}{b+d} \right] \cdot \frac{1}{2}$
 $T^* \cdot Q^* = TR = \left[\frac{a-c}{2} \right] \left[\frac{a-c}{b+d} \right] \cdot \frac{1}{2}$
 $= \frac{(a-c)^2}{b+d} \cdot \frac{1}{4}$

MaxTax Blank

Made up example about Marijuana Legalization and Taxation



Demand: $P=200-0.1Q$ (<i>Inverse Demand</i>) $Q=2000-10P$	$P=a-bQ$ $Q=a/b-(1/b)P$
Supply: $P=40+0.1Q$ $Q=-400+10P$	$P=c+dQ$ $Q=-(c/d)+(1/d)P$
Equilibrium: $200-0.1Q=40+0.1Q$	Equilibrium: $a-bQ=c+dQ$ $Q = \frac{a-c}{b+d} \quad P = \frac{ad+bc}{b+d}$